The growth of massive stars via stellar collisions in ensemble star clusters M.S. Fujii, S. Portegies Zwart

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Journal Club,

May 13th, 2013

Outline

1 Young star clusters

2 The growth of massive stars

3 The simulations



Relevant star cluster properties



- Core radius: where density is $\frac{1}{3}$ of the central one; usually the core is a strongly interacting subsystem
- Relaxation time: necessary to lose memory of initial conditions (initial v distrib. → Maxwellian one)

Relevant star cluster processes

- **Evaporation:** stars with $v_i > 2\sqrt{\langle v^2 \rangle}$ can escape the system \Rightarrow with Maxwellian velocities there are **always stars leaving the system**
- Core collapse: stars evaporate ⇒ K does not balance W ⇒ core contracts ⇒ density increases ⇒ more evaporation ⇒K does not balance W ⇒ core contracts ⇒

• Mass segregation:

. . .

 $IMF + m_i v_i^2 = m_j v_j^2 + dynamical friction =$

massive stars move to the core and lighter ones move towards the external regions



- * During the core-collapse the density in the core increases dramatically
- * Mass segregation **enhances** core collapse!

Core-collapse and runaway merger

- Observations found super-canonical stars $(150-300\,{\rm M}_\odot)$ we cannot explain with our stellar evolution models
- Need a mechanism to create them \Rightarrow runaway merger: multiple collisions between massive stars
- To obtain it \Rightarrow many stars in a localized dense region = SC core during **core-collapse**
- Core-collapse must occur **before** SN explosion of the most massive stars $(t_{cc} < 3 \text{ Myr})$



New in this paper

- First paper studying runaway merger in an assemblage of sub-clusters
- Previous studies: (sub-)virial and with(out) mass segregated ICs solo-clusters
- Why is an assemblage of sub-clusters **more realistic**?
 - Molecular clouds have multiple cores
 - better reproduction SCs' dynamical maturity
 - smaller SCs have smaller relaxation time hence smaller t_{cc}



Simulation details

Subclusters:

- $\sum m_i = M_{solo}$
- Two different King profiles
- Sub-cluster models:
 - 2kw2: $W_0 = 2$, $M_{tot} = 6300 \,\mathrm{M_{\odot}}$, $r_{hm} = 0.092$ pc, N=2048
 - 8kw5: $W_0=$ 5, $M_{\rm tot}=2.5 imes 10^4\,{
 m M}_{\odot}$, $r_{\rm hm}=0.22$ pc, N=8192

- Salpeter IMF with $M \in [1, 100] \,\mathrm{M}_{\odot}$: $\frac{\mathrm{d}N}{\mathrm{d}M} \propto M^{-\alpha}$, $\alpha \sim 2.35$
- 4 or 8 sub-clusters in a **sphere** or a **filament** (e.g. gas shock in galactic arms)

Solo models:

• Two more ICs (16kw6, 64kw8)



Simulations summary





Massive stars via stellar collisions

Results

Assembly-clusters collision product mass



Conclusions 1

- Authors test the **runaway merger model** to produce massive stars in the sub-cluster **assembly scenario**
- The assembled-cluster evolution result depend upon t_{cc} vs t_{ens}
- Late assembly ($t_{cc} > t_{ens}$): dynamics prevents the formation of extremely massive collision products ($m_{MAX} \lesssim 400 \, M_{\odot}$)
- Early assembly ($t_{cc} < t_{ens}$): the system can form collision products up to $10^3 \,\mathrm{M}_{\odot}$ even if they experience wind mass loss after the collision

Conclusions 2

Strengths

- First time runaway merger studied in assembly of sub-clusters
- Realistic scenario for the cluster formation
- 6-th order Hermite integrator \rightarrow can handle binaries

Weaknesses

- Sub-clusters half-mass radii are too small to be realistic (0.092 and 0.22 pc)
- $m_{
 m min} = 1\,{
 m M}_{\odot}$ is too large
- Stellar winds only for $M>100\,{\rm M}_\odot$ is unphysical \to here only collision products can experience mass-loss

Gravothermal instability

- Star cluster \sim gas cloud
- Strongly self-interacting systems have **negative heat capacity**
- kinetic energy \rightarrow dynamical temperature: $K = \frac{1}{2} \langle mv^2 \rangle = \frac{3}{2} k_B T$
- From the virial the total internal energy $E = -K = -\frac{3}{2}Nk_B\langle T \rangle$
- The **heat capacity** is then defined as $C \equiv \frac{dE}{dT} = -\frac{3}{2}Nk_B < 0$
- If $K \searrow \equiv T \searrow$ (loss of stars) $\Rightarrow dE = -\frac{3}{2}Nk_B dT > 0 \Rightarrow$ more stars evaporation and core contraction
- To make it happens the halo must behave like a **thermal bath** thus it must "absorb" the kinetic energy of the evaporating stars



Massive stars via stellar collisions

Complete simulation scheme



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